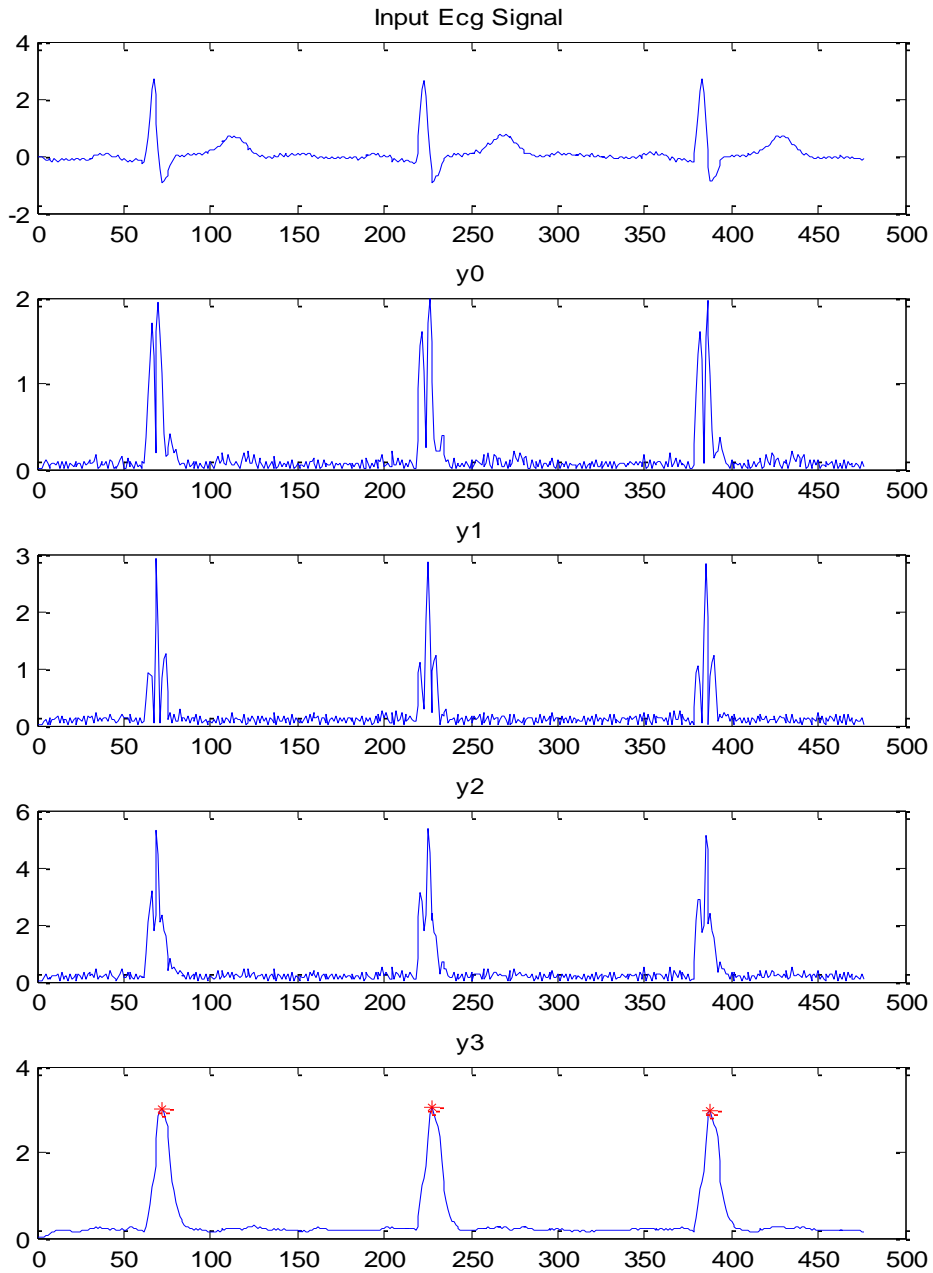
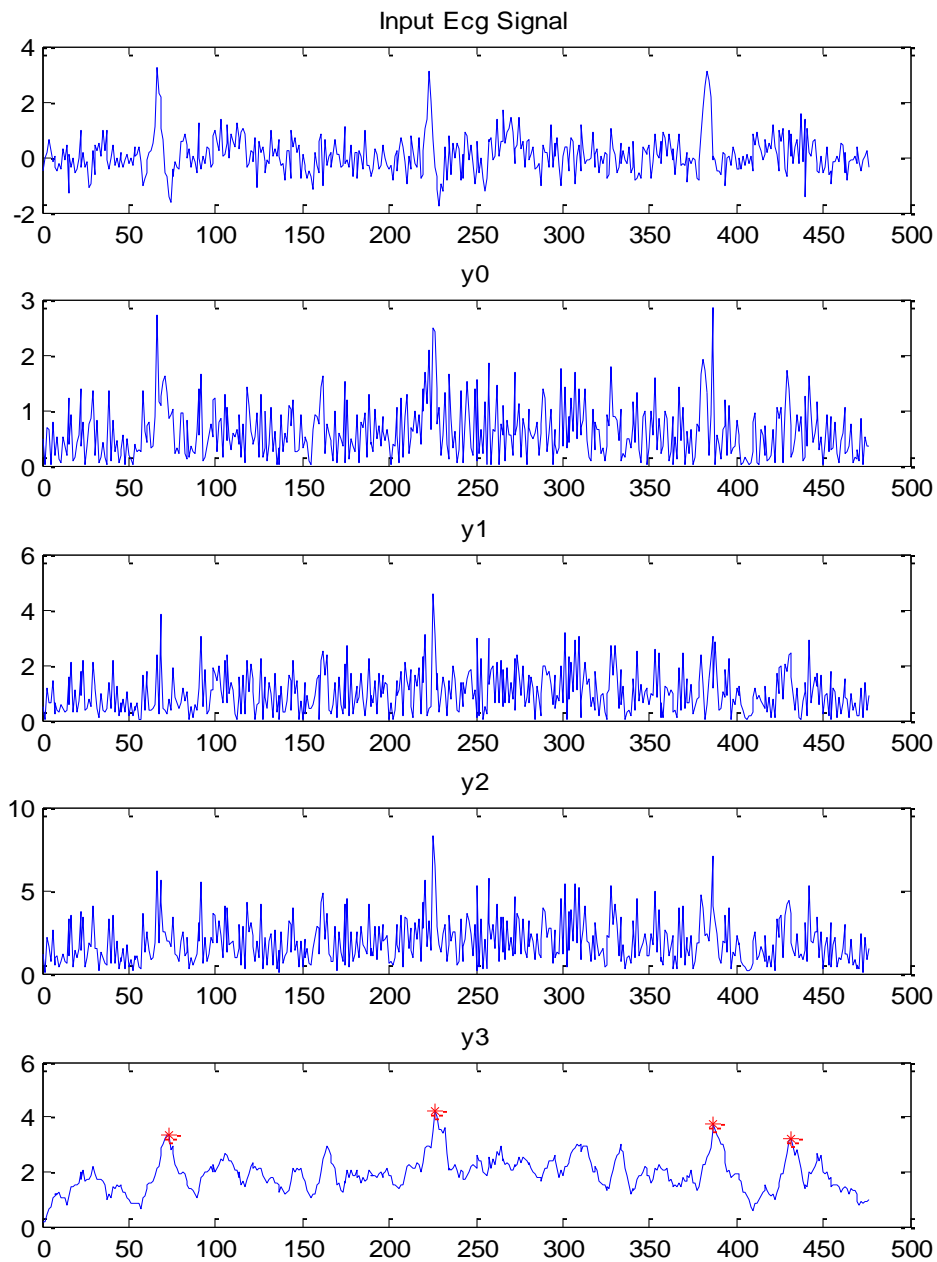


**Exercise 1: Balda Method**

1)  $x(n)$  is fairly clean



2)  $x(n)$  with white noise,  $x = \text{signal} + .5 * \text{randn}(N,1)$ ;



Notice that there was an additional peak detected along with the 3 true QRS peaks. This is at  $x = \text{signal} + .5 * \text{randn}(N,1)$ ; it can be seen that this method cannot stand a lot of noise. In 10 trials, only 3 trials detected the three QRS complex perfectly in the signal.

## Code:

```
%Jonathan Georgino
%EE497A Biomedical Signal Analysis
%Event Detection Lab
clear all;
close all;
clc;

%load signal and determine length
x=load('ecg_60hz_200.dat');
N=length(x);

%add white noise
x=x+.5*randn(N,1);

%construct y0
y0(1)=abs(x(1));
y0(2)=abs(x(2));
for j = 3:N
    y0(j)=abs(x(j)-x(j-2));
end

%construct y1
y1(1)=abs(x(1));
y1(2)=abs(x(2));
y1(3)=abs(x(3)-2*x(3-2));
y1(4)=abs(x(4)-2*x(4-2));

for j = 5:N
    y1(j)=abs(x(j)-2*x(j-2)+x(j-4));
end

%construct y2
for j=1:N
    y2(j)=1.3*y0(j)+1.1*y1(j);
end

%construct y3
p=0;
for j=1:7
    p=y2(j)+p;
    y3(j)=(1/8)*p;
end

for j=8:N
    p=0;

    for k=0:7
        p=y2(j-k)+p;
    end

    y3(j)= (1/8)*p;
end
```

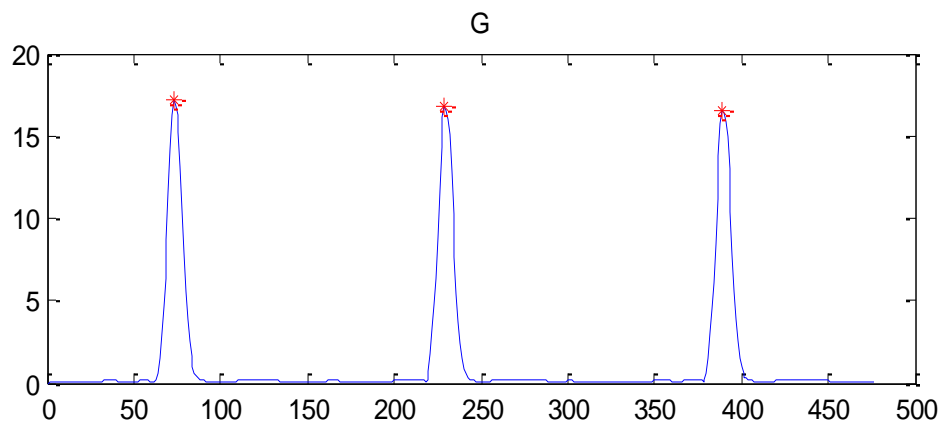
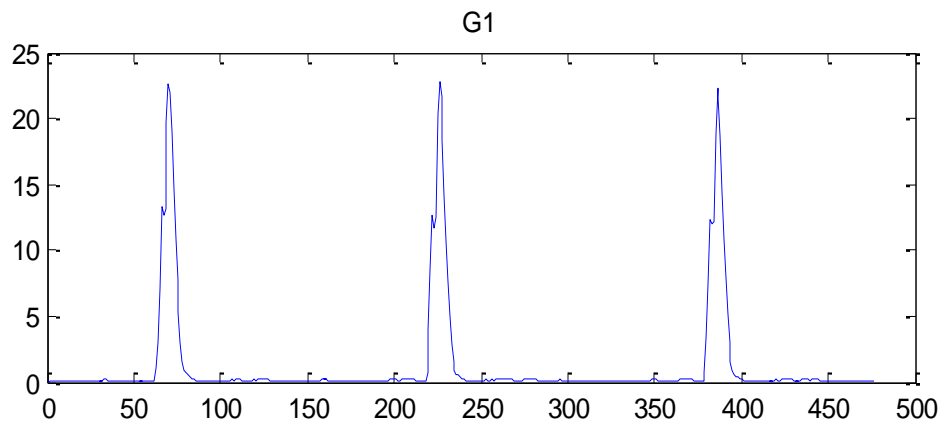
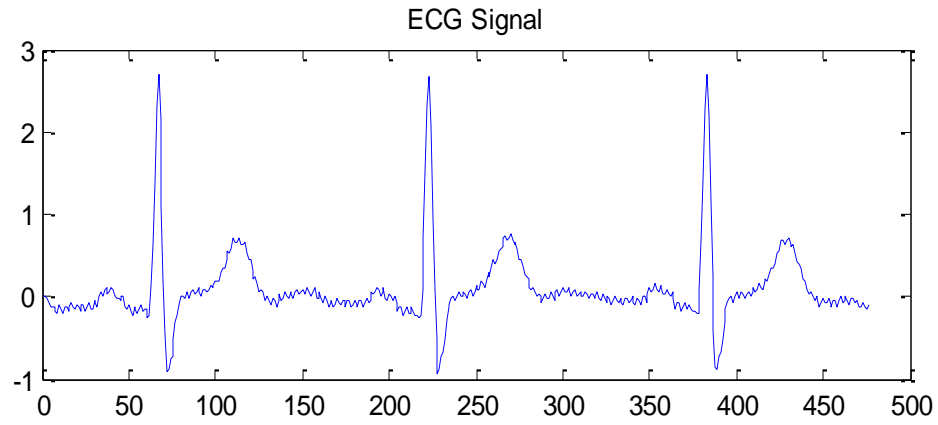
```
%peak detect
sensitivity = 2;
%calculate peaks based on peakdet.m function
[maxtab, mintab] = peakdet(y3, sensitivity);

%plot
subplot(511)
plot(x);
title('Input Ecg Signal');
subplot(512)
plot(y0);
title('y0');
subplot(513)
plot(y1);
title('y1');
subplot(514)
plot(y2);
title('y2');
subplot(515)
plot(y3);
title('y3');
hold on;
plot(maxtab(:,1), maxtab(:,2), 'r*');
```

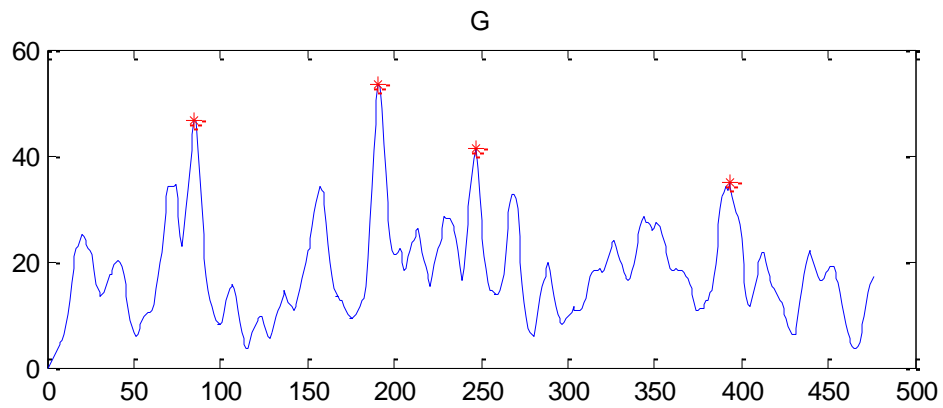
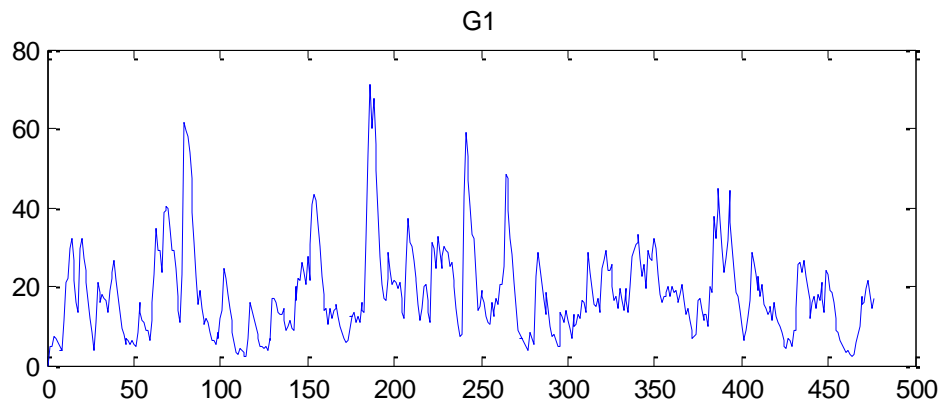
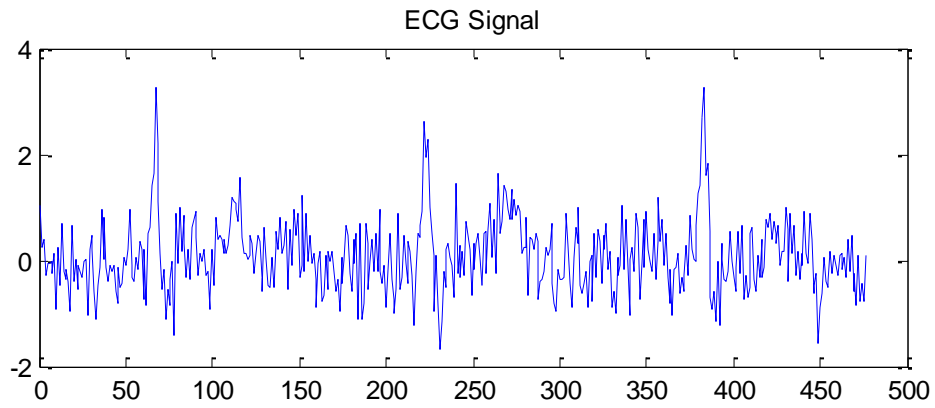
## Exercise 2: Murthy and Rangaraj Method

I.  $N=M=8$

1)  $x(n)$  is fairly clean

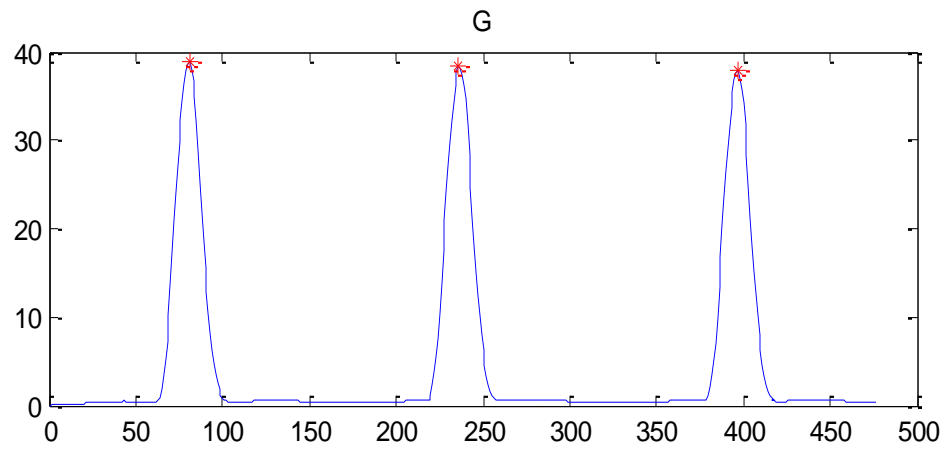
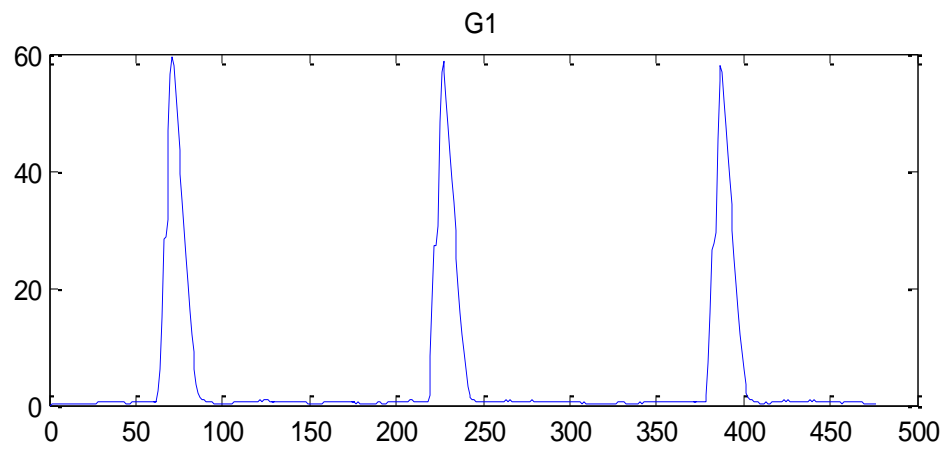
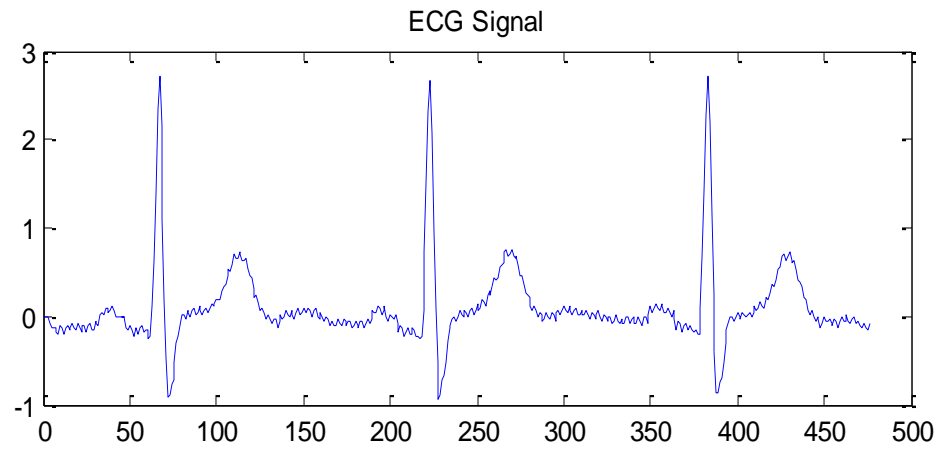


2)  $x(n)$  with white noise,  $x = \text{signal} + .5 * \text{randn}(N,1)$ ;

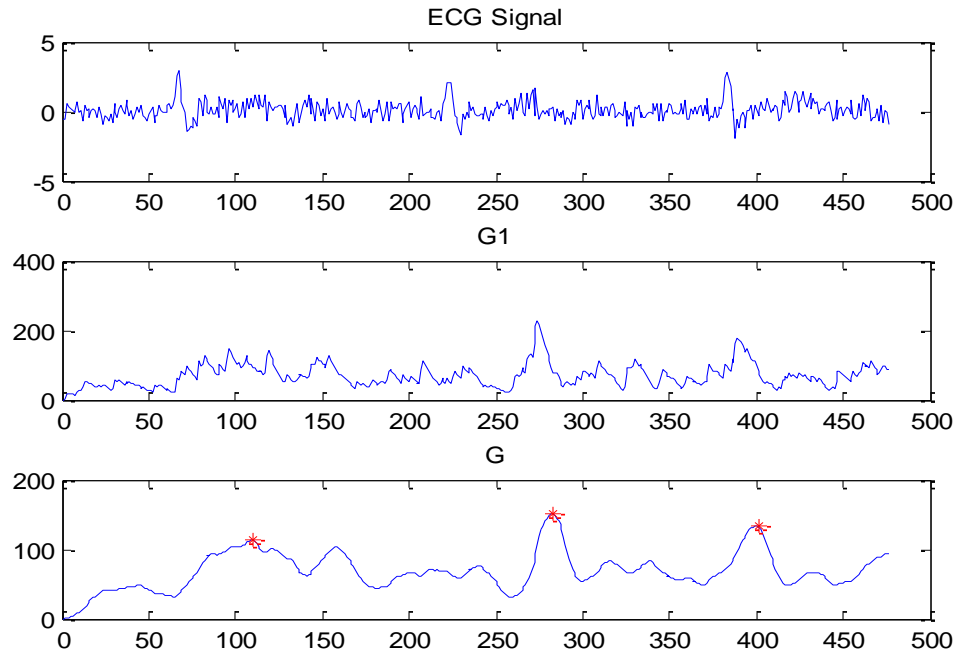


## II. $N=M=16$

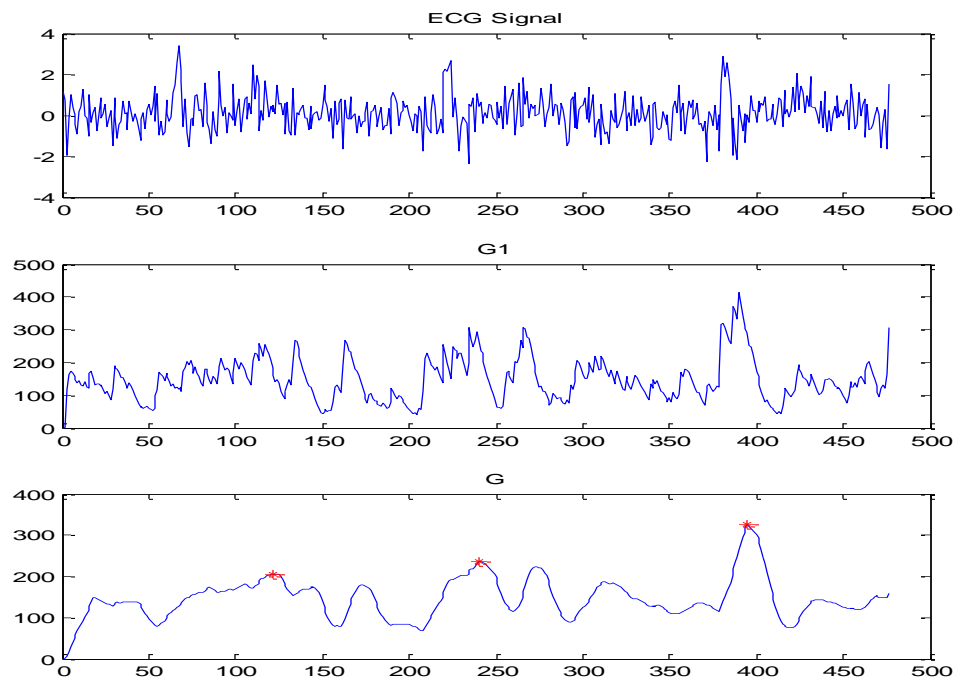
1)  $x(n)$  is fairly clean



2)  $x(n)$  with white noise,  $x = \text{signal} + .5 * \text{randn}(N,1)$ ;

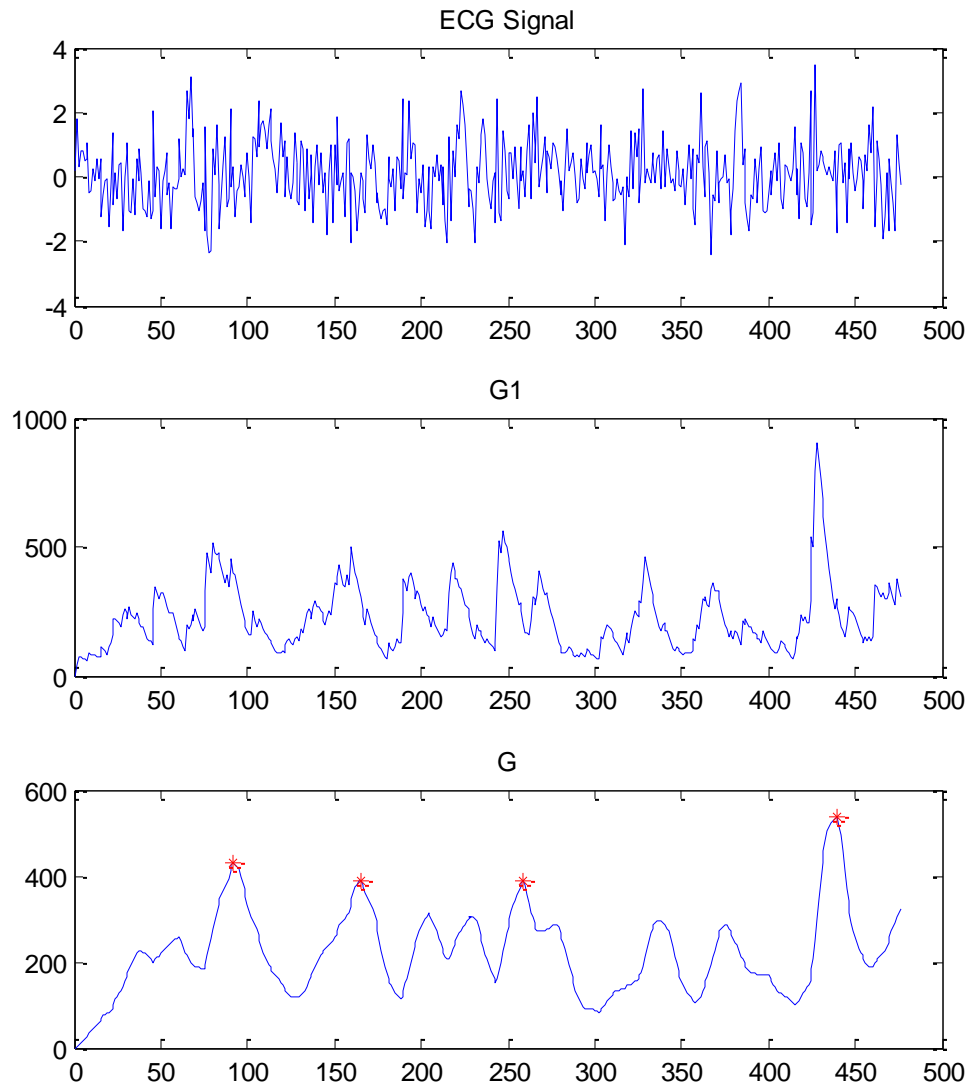


3)  $x(n)$  with white noise,  $x = \text{signal} + .75 * \text{randn}(N,1)$ ;





4)  $x(n)$  with white noise,  $x = \text{signal} + 1 * \text{randn}(N,1)$ ;



Notice that there was an additional peak detected along with the 3 true QRS peaks. This is at  $x = \text{signal} + 1 * \text{randn}(N,1)$ ; it can be seen that this method can stand a lot more noise than the Baldan method. This method also works much better when  $N=M=16$  than when it's  $N=M=8$ .

## Code:

```
%Jonathan Georgino
%EE497A Biomedical Signal Analysis
%Event Detection Lab
clear all;
close all;
clc;

%load signal and determine length
x=load('ecg_60hz_200.dat');
len=length(x);

%add white noise
x=x+1*randn(len,1);

N = 16;
M = 16;

%calculate g1
for j=1:N+1

    p=0;
    for k=1:j-1
        p=(abs(x(j-k+1)-x(j-k))^2)*(N-k+1) +p;
    end

    g1(j)=p;

end

for j=N+1:len

    p=0;
    for k=1:N
        p=(abs(x(j-k+1)-x(j-k))^2)*(N-k+1) +p;
    end

    g1(j)=p;

end

%calculate g
for j=1:M-1

    p=0;
    for k=0:j-1
        p=g1(j-k)+p;
    end

    g(j)=(1/M)*p;

end
```

```

for j=M:len

    p=0;
    for k=0:M-1
        p=g1(j-k)+p;
    end

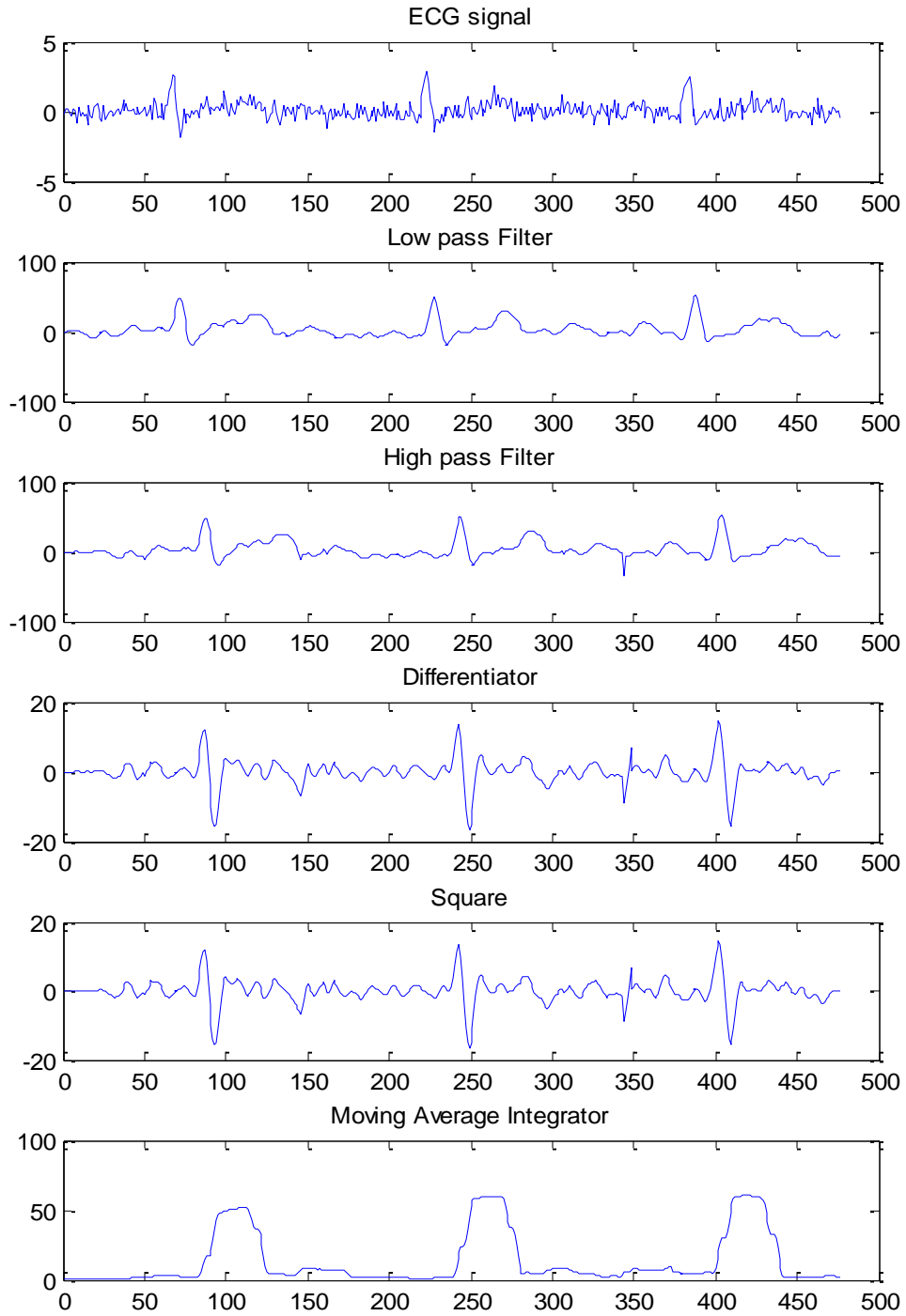
    g(j)=(1/M)*p;
end

%peak detect
sensitivity = 220;
%calculate peaks based on peakdet.m function
[maxtab, mintab] = peakdet(g, sensitivity);

subplot(311)
plot(x)
title('ECG Signal')
subplot(312)
plot(g1)
title('G1')
subplot(313)
plot(g)
title('G')
hold on;
plot(maxtab(:,1), maxtab(:,2), 'r*');

```

### Exercise 3: The Pan Tompkins Algorithm



## Code:

```
%Jonathan Georgino
%EE497A Biomedical Signal Analysis
%Event Detection Lab
clear all;
close all;
clc;

%load signal and determine length
x=load('ecg_60hz_200.dat');
len=length(x);

%add white noise
x=x+.45*randn(len,1);

%low pass filter
alp = [1 -2 1];
blp = [1 0 0 0 0 0 -2 0 0 0 0 0 1];
hlp = filter(blp, alp, x);

%high pass filter
hhp(1)=0-(1/32)*(1-0)/(1-0);

for j=2:16
    hhp(j)=0-(1/32)*(1-0)/(1-hlp(j-1));
end

for j=17:32
    hhp(j)=hlp(j-16)-(1/32)*(1-0)/(1-hlp(j-1));
end

for j=33:len
    hhp(j)=hlp(j-16)-(1/32)*(1-hlp(j-32))/(1-hlp(j-1));
end

%differentiator
hd(1)=(1/8)*(2*hhp(1)+0-0-0);
hd(2)=(1/8)*(2*hhp(2)+hhp(1));
hd(3)=(1/8)*(2*hhp(3)+hhp(2));
hd(4)=(1/8)*(2*hhp(4)+hhp(3)-hhp(1));
for j=5:len
    hd(j)=(1/8)*(2*hhp(j)+hhp(j-1)-hhp(j-3)-2*hhp(j-4));
end

%squarer
hsq=hd.^2;

%moving average integrator
N=30;

for j=1:N-1
    p=0;
```

```

        for k=0:j-1
            p=hsq(j-k)+p;
        end
hmai(j)=(1/N)*p;
end

for j=N:len
    p=0;
    for k=0:N-1
        p=hsq(j-k) + p;
    end
    hmai(j)=(1/N)*p;
end

subplot(611)
plot(x)
title('ECG signal')
subplot(612)
plot(hlp)
title('Low pass Filter')
subplot(613)
plot(hhp)
title('High pass Filter')
subplot(614)
plot(hd)
title('Differentiator')
subplot(615)
plot(hd)
title('Square')
subplot(616)
plot(hmai)
title('Moving Average Integrator')

```